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[2].

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[3],

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[1].

(,) ,

$$D_u = D_0 + L, \quad (1)$$

D_u - ; D_0 -
; L -

(1)

()

[3]: $X_v Y_v Z_v -$
 $X_{pu} Y_{pu} Z_{pu} -$
 $X_v Y_v Z_v$ $q($)
 $Z_v; X_{lv} Y_{lv} Z_{lv} -$
 $X_{pu} Y_{pu} Z_{pu}$ lv
 $($)
 $Y_{pu}; X Y Z -$
 $X_{lv} Y_{lv} Z_{lv}$ () $X_{lv};$
 $X Y Z -$
 Z y $X Y Z$ y
 $Y; X_k Y_k Z_k -$
 $X_{lv} Y_{lv} Z_{lv}$ k
 $Z_{lv} k$ $Y_{lv}; X_c Y_c Z_c -$
 $X_k Y_k Z_k$
 $X_{lv} Y_{lv} Z_{lv}$ [3].
 $X_{lv} Y_{lv} Z_{lv}$ $X_k Y_k Z_k$
 I :
 $(k) = (γ) · (k') · (k)$
 $lv = lv γ (k')$
 $(k) =$ $\begin{pmatrix} \cos\alpha \cos\beta \\ \cos\alpha \sin\beta \cos\gamma + \sin\alpha \sin\gamma \\ -\cos\alpha \sin\beta \sin\gamma + \sin\alpha \cos\gamma \\ -\sin\beta & -\sin\alpha \cos\beta \\ \cos\beta \cos\gamma & -\sin\alpha \sin\beta \cos\gamma + \cos\alpha \sin\gamma \\ -\cos\beta \sin\gamma & \sin\alpha \sin\beta \sin\gamma + \cos\alpha \cos\gamma \end{pmatrix}$
 II :
 $(k) = (k') \beta_{k(\gamma)} · (k) \alpha_{k(\gamma)}$
 $lv = lv$
 $(k) =$ $\begin{pmatrix} \cos\alpha_{k(\gamma)} \cos\beta_{k(\gamma)} \\ \cos\alpha_{k(\gamma)} \sin\beta_{k(\gamma)} \\ \sin\alpha_{k(\gamma)} \end{pmatrix}$

$$\begin{pmatrix} -\sin\beta_{k(\gamma)} & -\sin\alpha_{k(\gamma)} \cos\beta_{k(\gamma)} \\ \cos\beta_{k(\gamma)} & -\sin\alpha_{k(\gamma)} \sin\beta_{k(\gamma)} \\ 0 & \cos\alpha_{k(\gamma)} \end{pmatrix} \cdot$$

$$\cos\alpha_{k(\gamma)} \cdot \sin\beta_{k(\gamma)} = \cos\alpha \cdot \sin\beta \cdot \cos\gamma + \sin\alpha \cdot \sin\gamma ;$$

$$\sin\alpha_{k(\gamma)} = -\cos\alpha \cdot \sin\beta \cdot \sin\gamma + \sin\alpha \cdot \cos\gamma$$

$$\alpha_{k(\gamma)}, \beta_{k(\gamma)} -$$

$$\alpha, \alpha_{k(\gamma)}, \beta, \beta_{k(\gamma)},$$

$$\beta = 0.$$

$$\alpha_{k(\gamma)} = \alpha \cdot \cos\gamma ; \tag{2}$$

$$\beta_{k(\gamma)} = \alpha \cdot \sin\gamma . \tag{3}$$

$$\alpha_k \beta_k \tag{1} D_0$$

$$D_u = D_o + v_c \cdot \tau, \tag{4}$$

$$v_c - ; \tau -$$

$$D_o \cdot$$

$$X_{lv} Y_{lv} Z_{lv} \cdot D_u$$

$$X_{lv} Y_{lv} Z_{lv} : D_{uxlv} = D_o + v_{cxlv} \cdot \tau, D_{uylv} = v_{cylv} \cdot \tau,$$

$$D_{uzlv} = v_{czlv} \cdot \tau. \tag{5}$$

$$D_{uxlv}, D_{uylv}, D_{uzlv} -$$

$$X_{lv} Y_{lv} Z_{lv}; v_{cxlv}, v_{cylv}, v_{czlv} -$$

$$X_{lv} Y_{lv} Z_{lv} \cdot \alpha_u, \beta_u$$

$$D_u :$$

$$(\alpha_u)_{v_c} = \frac{v_{czlv} \cdot \tau}{D_o + v_{cxlv}} ; (\beta_u)_{v_c} = \frac{v_{cylv} \cdot \tau}{D_o + v_{cxlv}} ;$$

$$D_{uxlv} = D_o + v_{cxlv} \cdot \tau.$$

$$Y_{lv} Z_{lv}$$

$$(\omega_{czlv})_{ot} = \frac{v_{czlv}}{D_o}; \quad (\omega_{cylv})_t = \frac{v_{cylv}}{D_o},$$

$$\frac{D_o}{D_u} \cdot \tau = \tau_u, \quad (\omega_{czlv})_t = (\omega_{cvn})_t; \quad (\omega_{cylv})_t = (\omega_{cgn})_t,$$

$$\delta\alpha_{kvc} = (\omega_{cvn})_t \cdot \tau_u; \quad (6)$$

$$\delta\beta_{kvc} = (\omega_{cgn})_t \cdot \tau_u; \quad (7)$$

$$D_{uxlv} = D_o + v_{cxlv} \cdot \tau, \quad (8)$$

$$\tau_u -$$

$$D_u; \quad (\omega_{cvn})_t, \quad (\omega_{cgn})_t -$$

$$(7) \quad (6)$$

$$\delta\alpha_{koc} = \left[(\omega_{cvn})_t + \frac{v_v \cdot \sin \varepsilon_{lv} \cdot \cos q}{D_o} \right] \cdot \tau_u, \quad (9)$$

$$\delta\beta_{koc} = \left[(\omega_{cgn})_t - \frac{v_v \cdot \sin q}{D_o} \right] \cdot \tau_u. \quad (10)$$

(9) (10)

$$\bar{(a_{cvn})}_{ot} = \frac{\sum_{i=1}^n \frac{((\omega_{cvn})_t)_i - ((\omega_{cvn})_{ot})_{i-1}}{\Delta t}}{n}; \quad (11)$$

$$\bar{(a_{cgn})}_{ot} = \frac{\sum_{i=1}^n \frac{((\omega_{cgn})_t)_i - ((\omega_{cgn})_{ot})_{i-1}}{\Delta t}}{n}, \quad (12)$$

$$\bar{(a_{cvn})}_{ot}, \quad \bar{(a_{cgn})}_{ot} -$$

$$\bar{v}_v \quad X_{lv} Y_{lv} Z_{lv}, \quad X_v Y_v Z_v$$

$$X_{lv} Y_{lv} Z_{lv} \quad X_v Y_v Z_v$$

$$X_{pu} Y_{pu} Z_{pu} \quad X_{pu} Y_{pu} Z_{pu}$$

$$X_{lv} Y_{lv} Z_{lv} \quad :$$

$$\begin{pmatrix} (LV) \\ Vq\ell lv \end{pmatrix} = \begin{pmatrix} (PU) \\ Vq \end{pmatrix} \cdot \begin{pmatrix} (LV) \\ V\ell v \end{pmatrix}$$

$$\begin{pmatrix} (LV) \\ Vq\ell lv \end{pmatrix} = \begin{pmatrix} \cos q \cdot \cos \varepsilon_{lv} & -\sin q & \cos q \cdot \sin \varepsilon_{lv} \\ \sin q \cdot \cos \varepsilon_{lv} & \cos q & \sin q \cdot \sin \varepsilon_{lv} \\ \sin \varepsilon_{lv} & 0 & \cos \varepsilon_{lv} \end{pmatrix} \cdot \begin{pmatrix} X_{lv} Y_{lv} Z_{lv} \end{pmatrix}$$

$$\bar{v}_{vxl} = v_v \cdot \cos q \cdot \cos \varepsilon_{lv}; \quad \bar{v}_{vyl} = -v_v \cdot \sin q;$$

$$\bar{v}_{vzl} = -v_v \cdot \cos q \cdot \sin \varepsilon_{lv}.$$

$$(\omega_{vy})_t = \frac{v_v \cdot \sin \varepsilon_{lv} \cdot \cos q}{D_o}; \quad (\omega_{vz})_t = -\frac{v_v \cdot \sin q}{D_o}.$$

$$\Delta t = t_i - t_{i-1} -$$

$$; t_1 -$$

$$; n -$$

$$(9) \quad (10) \quad (11)$$

$$\delta\alpha_{koc} = \left[(\omega_{cvn})_t + \frac{(a_{cvn})_t \cdot \tau}{2} + \frac{v_v \cdot \sin \varepsilon_{lv} \cdot \cos q}{D_o} \right] \cdot \tau_u; \quad (13)$$

$$\delta\beta_{koc} = \left[(\omega_{cgn})_t + \frac{(a_{cgn})_t \cdot \tau}{2} + \frac{v_v \cdot \sin q}{D_o} \right] \cdot \tau_u.$$

$$\bar{v}_{bp} = \bar{v}_0 + \bar{v}_v,$$

$$\bar{v}_0 -$$

$$\bar{v}_v -$$

$X_k Y_k Z_k$,

$$\begin{aligned} & X_k Y_k Z_k \\ & X_{pu} Y_{pu} Z_{pu} \\ & X_k Y_k Z_k \end{aligned} \quad \begin{aligned} & X_v Y_v Z_v \\ & X_{pu} Y_{pu} Z_{pu} \\ & \end{aligned} \quad \begin{aligned} & W_b \\ & X_{lv} Y_{lv} Z_{lv} \\ & \end{aligned} \quad \begin{aligned} & X Y Z , \\ & X Y Z , \\ & \end{aligned}$$

$$(\gamma)_{lv} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \gamma & \sin \gamma \\ 0 & -\sin \gamma & \cos \gamma \end{bmatrix} .$$

$$V_{q\varphi}^{(k)} = \begin{bmatrix} \cos q \cdot \cos \varphi & -\sin q & \cos q \cdot \sin \varphi \\ \sin q \cdot \cos \varphi & \cos q & \sin q \cdot \sin \varphi \\ \sin \varphi & 0 & \cos \varphi \end{bmatrix} .$$

$$\bar{v}_x = v \cdot \cos \varphi; \quad \bar{v}_y = 0; \quad \bar{v}_z = v \cdot \sin \varphi .$$

$$\begin{aligned} & X_k Y_k Z_k \\ & \bar{v}_{vx} = v_v \cdot \cos q \cos \varphi; \\ & \bar{v}_{vy} = -v_v \cdot \sin q; \\ & \bar{v}_{vz} = -v_v \cdot \cos q \sin \varphi . \end{aligned} \quad (15)$$

$$\begin{aligned} & \bar{v}_s \\ & \bar{v}_{sx} = v_o \cdot \cos \varphi + v_v \cdot \cos q \cos \varphi; \\ & \bar{v}_{sy} = -v_v \cdot \sin q; \\ & \bar{v}_{sz} = v_o \cdot \sin \varphi + v_v \cdot \cos q \sin \varphi . \end{aligned} \quad (16)$$

$$\delta \alpha_{v_v} = -\frac{v_v \cdot \cos q \sin \varphi}{v_o \cdot \cos \varphi + v_v \cdot \cos q \cos \varphi}; \quad (17)$$

$$\delta \beta_{v_v} = -\frac{v_v \cdot \sin q}{v_o \cdot \cos \varphi + v_v \cdot \cos q \cos \varphi}, \quad (18)$$

$$\delta \alpha_{v_v}, \quad \delta \beta_{v_v} -$$

$$W_b \quad [4], \quad \delta \beta_w = -w_b \cdot k_w(D_u), \quad (19)$$

$$\delta \beta_w - ; \quad w_b -$$

$$(\quad); \quad k_w(D_u) = \tau_{D_u} - \frac{D_u}{(v_c)_{X_k}} -$$

$$X Y Z : W$$

$$(\bar{W}_b)_{y_{lv}} = W_b \cdot \cos \gamma; \quad (20)$$

$$(\bar{W}_b)_{z_{lv}} = W_b \cdot \sin \gamma. \quad (21)$$

$$\delta \alpha_w = -w_b \cdot k_w(D_u) \sin \gamma; \quad (22)$$

$$\delta \beta_w = -w_b \cdot k_w(D_u) \cos \gamma. \quad (23)$$

$$X_{lv} Y_{lv} Z_{lv} \quad \bar{v}_v \quad (15),$$

$$(w_b)_{ot} = w_b \cdot \cos \gamma - v_v \cdot \sin q. \quad (24)$$

$$\delta \alpha_w = -(w_b)_{ot} \cdot k_w(D_u) \sin \gamma; \quad (25)$$

$$\delta \beta_w = -(w_b)_{ot} \cdot k_w(D_u) \cos \gamma. \quad (26)$$

$$k_w(D_u) \quad (\quad).$$

$$\alpha_k = \left(\left[(\omega_{c_{vn}})_t + \frac{(a_{c_{vn}})_t \cdot \tau}{2} + \frac{v_v \cdot \sin \varepsilon_{lv} \cdot \cos q}{D_o} \right] \cdot \tau_u \right) -$$

$$- \frac{v_v \cdot \cos q \sin \varphi}{v_o \cdot \cos \varphi + v_v \cdot \cos q \cos \varphi} + \quad (27)$$

$$+ (w_b \cdot \cos \gamma - v_v \cdot \sin q) \cdot k_w(D_u) \sin \gamma;$$

$$\beta_k = \left(\left[(\omega_{c_{gn}})_t + \frac{(a_{c_{gn}})_t \cdot \tau}{2} + \frac{v_v \cdot \sin q}{D_o} \right] \cdot \tau_u \right) -$$

$$- \frac{v_v \cdot \sin q}{v_o \cdot \cos \varphi + v_v \cdot \cos q \cos \varphi} + \quad (28)$$

$$+ (w_b \cdot \cos \gamma - v_v \cdot \sin q) \cdot k_w(D_u) \cos \gamma .$$

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METHOD OF CALCULATION OF BASIC DATA FOR INTERCEPTION MEANS OF SECURITY HELICOPTER COMPLEX

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Equations of kinematic forestalling's for the calculation basic data of interception weapons by complex of helicopter active protection are offered. List of parameters which must be measured by helicopter sensors in order to calculate the kinematic forestalling's is adduce.

Keywords: *helicopter active protection, weapons intercept.*