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[1 - 3].

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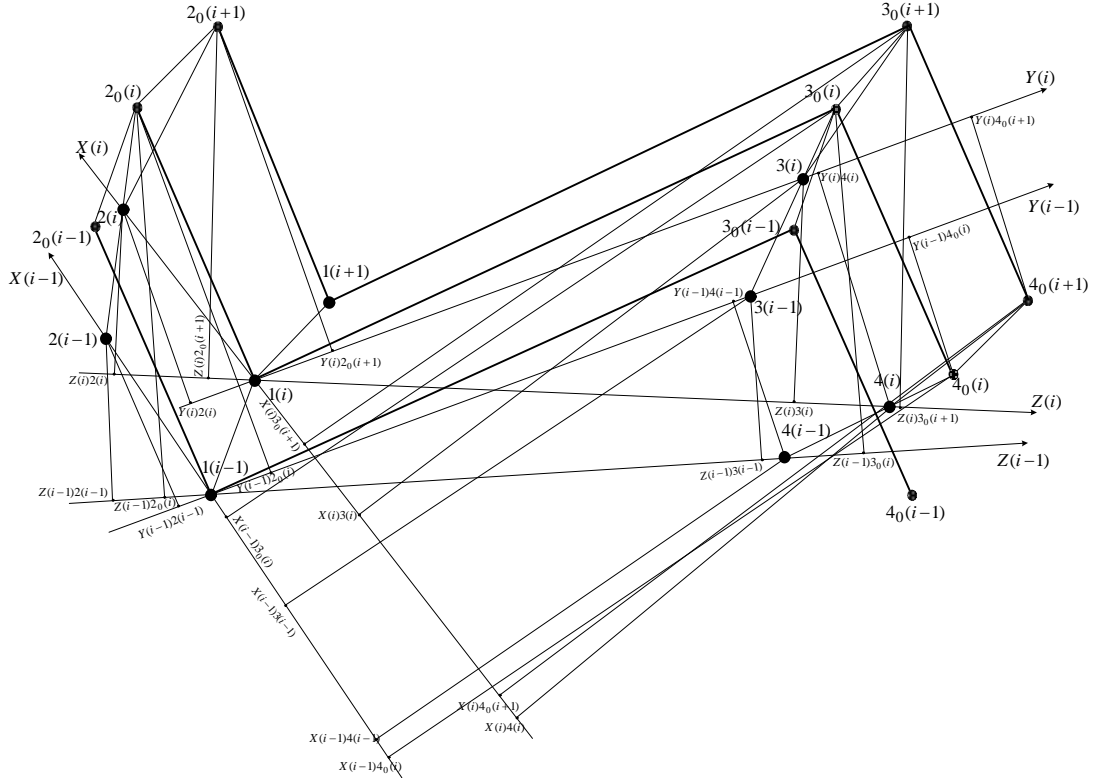
$X(i), Y(i), Z(i) -$

$1(i), 2(i), 3(i), 4(i) -$

$2_0(i), 3_0(i), 4_0(i) -$

$Y(i-1)2(i-1), Y(i-1)2_0(i), Y(i-1)4(i-1),$

$Y(i-1)4_0(i)$  ,  $Z(i-1)3_0(i)$  ,  
 $Y(i-1)$  ;  $Z(i-1)$  ;  
 $Z(i-1)2(i-1), Z(i-1)2_0(i), Z(i-1)3(i-1),$



. 1.

$X(i-1)3(i-1), X(i-1)3_0(i), X(i-1)4(i-1),$  ( . 1).  
 $X(i-1)4_0(i)$  ,

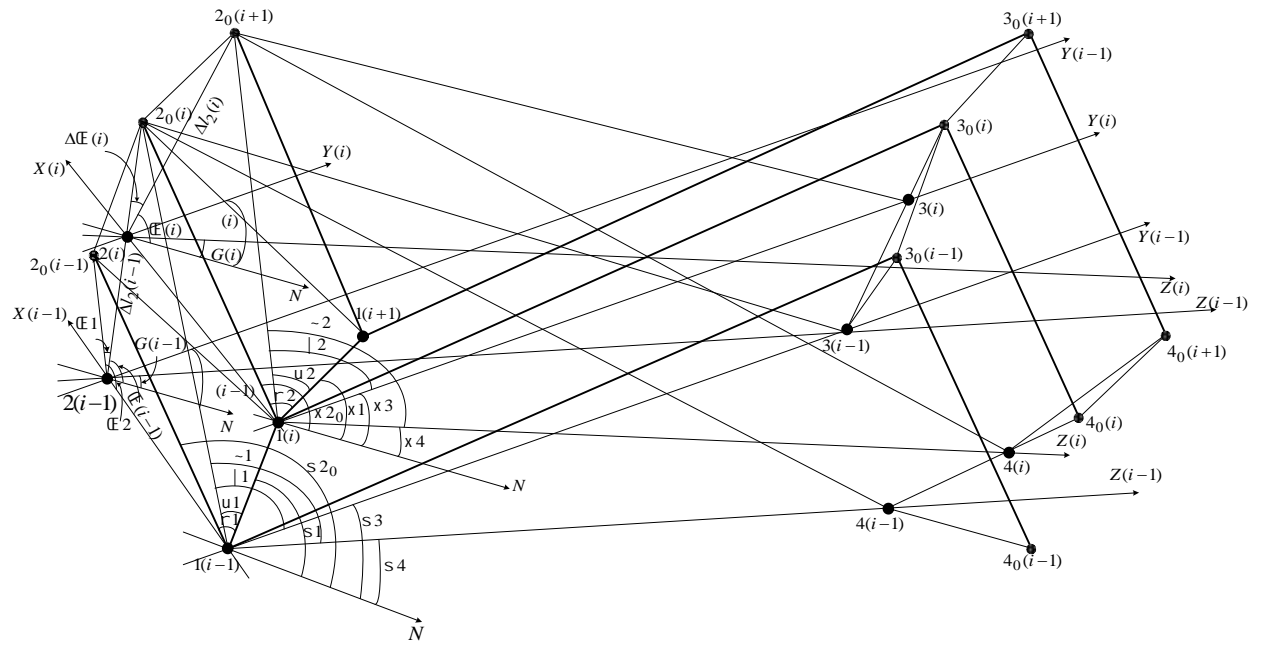
$X(i-1)$  ;  
 $Y(i)2(i), Y(i)2_0(i+1), Y(i)4(i), Y(i)4_0(i+1)$  -  
 $Y(i)$   $R_{1(i-1)2_0(i-1)}, R_{1(i)2_0(i)}$  (  
 $), R_{1(i-1)3_0(i-1)}, R_{1(i)3_0(i)}$  (  
 $), R_{3_0(i-1)4_0(i-1)}, R_{3_0(i)4_0(i)}$  (  
 $)$  ;  
 $Z(i)2(i), Z(i)2_0(i+1), Z(i)3(i), Z(i)3_0(i+1)$  -  
 $Z(i)$  ;  
 $X(i)3(i), X(i)3_0(i+1), X(i)4(i), X(i)4_0(i+1)$  -  
 $X(i)$  .  
 $R_{1(i-1)2(i-1)}, R_{1(i)2(i)}, R_{1(i-1)3(i-1)}, R_{1(i)3(i)}, R_{1(i-1)4(i-1)},$   
 $R_{1(i)4(i)}, R_{2(i-1)3(i-1)}, R_{2(i)3(i)}, R_{2(i-1)4(i-1)}, R_{2(i)4(i)},$   
 $R_{3(i-1)4(i-1)}, R_{3(i)4(i)}$  .

$$\begin{aligned}
 & \left. \begin{aligned}
 h_{Z(i-1)2_0(i)}^2 &= R_{1(i-1)2_0(i)}^2 - R_{1(i-1)Z(i-1)2_0(i)}^2 \\
 h_{Z(i-1)2_0(i)}^2 &= R_{2_0(i)4(i-1)}^2 - (R_{1(i-1)4(i-1)} + \\
 &+ R_{1(i-1)Z(i-1)2_0(i)})^2 \\
 h_{Z(i-1)2(i-1)}^2 &= R_{2(i-1)4(i-1)}^2 - (R_{1(i-1)4(i-1)} + \\
 &+ R_{1(i-1)Z(i-1)2_0(i)})^2 \\
 h_{Z(i-1)2(i-1)}^2 &= R_{1(i-1)2(i-1)}^2 - R_{1(i-1)Z(i-1)2(i-1)}^2
 \end{aligned} \right\} \text{ (1)} \\
 & \left. \begin{aligned}
 h_{Z(i-1)2_0(i)}^2, h_{Z(i-1)2(i-1)}^2 - \\
 Z(i-1), R_{1(i-1)Z(i-1)2_0(i)}
 \end{aligned} \right\} \text{ (2)}
 \end{aligned}$$

$$\begin{aligned}
 \Delta Z_{(i)} &= (R_{2(i)4(i)}^2 - R_{1(i)2(i)}^2 + R_{1(i)2_0(i+1)}^2 - \\
 &- R_{2_0(i+1)4(i)}^2) / 2 \cdot R_{1(i)4(i)} \quad \text{(4)} \\
 \Delta Y_{(i-1)} &= (R_{1(i-1)2_0(i)}^2 - R_{2_0(i)3(i-1)}^2 + R_{2(i-1)3(i-1)}^2 - \\
 &- R_{1(i-1)2(i-1)}^2) / 2 \cdot R_{1(i-1)3(i-1)} \quad \text{(5)} \\
 \Delta Y_{(i)} &= (R_{1(i)2_0(i+1)}^2 - R_{2_0(i+1)3(i)}^2 + R_{2(i)3(i)}^2 - \\
 &- R_{1(i)2(i)}^2) / 2 \cdot R_{1(i)3(i)} \quad \text{(6)}
 \end{aligned}$$

,  $R_{1(i-1)Z(i-1)2_0(i)} -$   
 $R_{1(i-1)2_0(i)}^2; R_{2_0(i)4(i-1)}^2; R_{2_0(i)3(i-1)}^2;$   
 $R_{1(i)2_0(i+1)}^2; R_{2_0(i+1)4(i)}^2; R_{2_0(i+1)3(i)}^2,$   
 $Z(i-1):$   
 1.  $R_{1(i-1)Z(i-1)2_0(i)}$   
 2.

$$\begin{aligned}
 \Delta Z_{(i-1)} &= (R_{2(i-1)4(i-1)}^2 - R_{1(i-1)2(i-1)}^2 + R_{1(i-1)2_0(i)}^2 - \\
 &- R_{2_0(i)4(i-1)}^2) / 2 \cdot R_{1(i-1)4(i-1)} \quad \text{(3)}
 \end{aligned}$$



. 2.

2  $\beta_3, \beta_4 -$   
 $(N),$   
 $(-I)-$  ;

$\gamma_3, \gamma_4 -$

$\beta_2, \gamma_2$

$(-1) -$

$\beta_1, \gamma_1$

$(\alpha_1, \alpha_2)$

$\alpha_1 = \beta_2 - \beta_1, \alpha_2 = \gamma_2 - \gamma_1.$

$R_{1(i-1)2_0(i)}^2, R_{1(i)2_0(i+1)}^2$

$R_{2_0(i-1)1(i)}^2, R_{2_0(i)1(i+1)}^2$

$$R_{2_0(i-1)1(i)}^2 = R_{1(i-1)2_0(i-1)}^2 + R_{1(i-1)1(i)}^2 - 2 \cdot R_{1(i-1)2_0(i-1)} \cdot R_{1(i-1)1(i)} \cdot \cos(\alpha_1); \quad (7)$$

$$R_{2_0(i)1(i+1)}^2 = R_{1(i)2_0(i)}^2 + R_{1(i)1(i+1)}^2 - 2 \cdot R_{1(i)2_0(i)} \cdot R_{1(i)1(i+1)} \cdot \cos(\alpha_2). \quad (8)$$

$R_{1(i-1)2_0(i)}^2$

$R_{1(i)2_0(i+1)}^2$

$$R_{1(i-1)2_0(i)}^2 = 2 \cdot R_{1(i-1)2_0(i-1)}^2 + 2 \cdot R_{1(i-1)1(i)}^2 - R_{2_0(i-1)1(i)}^2, \quad (9)$$

$$R_{1(i)2_0(i+1)}^2 = 2 \cdot R_{1(i)2_0(i)}^2 + 2 \cdot R_{1(i)1(i+1)}^2 - R_{2_0(i)1(i+1)}^2 \quad (10)$$

$R_{2_0(i)3(i-1)}^2, R_{2_0(i+1)3(i)}^2,$   
 $\kappa_1, \kappa_2 (\kappa_1 = \delta_1 + \beta_1 - \beta_3;$

$\kappa_2 = \delta_2 + \gamma_1 - \lambda_3), \delta_1, \delta_2$

$$\cos(\delta_1) = \frac{R_{1(i-1)2_0(i)}^2 + R_{1(i-1)1(i)}^2 - R_{1(i)2_0(i)}^2}{2 \cdot R_{1(i-1)2_0(i)} \cdot R_{1(i-1)1(i)}}; \quad (11)$$

$$\cos(\delta_2) = \frac{R_{1(i)2_0(i+1)}^2 + R_{1(i)1(i+1)}^2 - R_{1(i+1)2_0(i+1)}^2}{2 \cdot R_{1(i)2_0(i+1)} \cdot R_{1(i)1(i+1)}}. \quad (12)$$

(11), (12)

$R_{2_0(i)3(i-1)}^2, R_{2_0(i+1)3(i)}^2$

$$R_{2_0(i)3(i-1)}^2 = R_{1(i-1)2_0(i)}^2 + R_{1(i-1)3(i-1)}^2 - 2 \cdot R_{1(i-1)2_0(i)} \cdot R_{1(i-1)3(i-1)} \cdot \cos(\kappa_1) \quad (13)$$

$$R_{2_0(i+1)3(i)}^2 = R_{1(i)2_0(i+1)}^2 + R_{1(i)3(i)}^2 - 2 \cdot R_{1(i)2_0(i+1)} \cdot R_{1(i)3(i)} \cdot \cos(\kappa_2) \quad (14)$$

$R_{2_0(i)4(i-1)}^2, R_{2_0(i+1)4(i)}^2,$

$\mu_1, \mu_2$

$\mu_1 = \delta_1 + \beta_1 - \beta_4; \mu_2 = \delta_1 + \gamma_1 - \gamma_4,$

$$R_{2_0(i)4(i-1)}^2 = R_{1(i-1)2_0(i)}^2 + R_{1(i-1)4(i-1)}^2 - 2 \cdot R_{1(i-1)2_0(i)} \cdot R_{1(i-1)4(i-1)} \cdot \cos(\mu_1), \quad (15)$$

$$R_{2_0(i+1)4(i)}^2 = R_{1(i)2_0(i+1)}^2 + R_{1(i)4(i)}^2 - 2 \cdot R_{1(i)2_0(i+1)} \cdot R_{1(i)4(i)} \cdot \cos(\mu_2) \quad (16)$$

(7) - (16)

(3) - (4)

[8].

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**THE ISSUE AUTOMATICALLY GROUP FOR AIRCRAFT**

O.A. Korshets, N.A. Koroliuk

*In the article the difference equations control aircraft in the group in a specific order for automatic control systems, using information received from the credit mizhlitakovoyi navigation. Presented equations allow to solve the problem of automatic control order of battle, to move from one order to another, depending on the conditions and phases of flight.*

**Keywords:** automatic control group, aircraft, difference equations, mizhlitakova navigation.