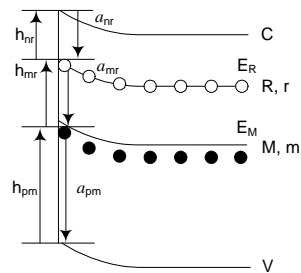


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$$\frac{d\delta r}{dt} = \beta a I + h_{mr}\delta m - h_{nr}\delta r + a_{rm}\delta r \quad (1)$$

$$\frac{d\delta m}{dt} = -\beta a I + h_{mr}\delta m + a_{rm}\delta r + h_{pm}\delta m - a_{mp}\delta p \quad (2)$$

$$h_{mr} = VC_{mr}e^{E_r - E_m}MRf_{nr}f_p r h_{nr} - VC_{nr}p_{0s}f_{nr}^{-1} \quad (3)$$

$$a_{nr} = VC_{nr}p_{pr}, \quad a_{nr} = VC_{mr}MRf_{nr}f_{pm}; \quad (4)$$

$$h_{pm} = VC_{pm}p_{0s}f_{pm}^{-1}, \quad a_{pm} = VC_{pm}Mf_{nm} \quad (5)$$

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$$j_{ps} = h_{pm}\delta m - a_{pm}\delta p_s; \quad j_{ns} = h_{rm}\delta r - a_{nr}\delta n_s. \quad (6)$$

$$\delta, \delta n, \delta, \delta n, \quad (6)$$

$$j_{ns} = G + V_{nm}\delta n_s + V_{np}\delta p_s; \quad j_{ps} = G + V_{pn}\delta n_s + V_{pp}\delta p_s; \quad (7)$$

$$V_{nm} = \frac{a_{nr}h_{pm}(h_{pm} - h_{mr})}{\Delta} - a_{nr}$$

$$V_{np} = a_{pm}h_{mr}h_{nr}\Delta^{-1}; \quad V_{pp} = a_{pm}h_{pm}(h_{rn} + a_{rm})\Delta^{-1}$$

$$V_{pn} = a_{rm}a_{nr}h_{pm}\Delta^{-1} \quad (8)$$

$$G = h_{pm}h_{rn}\beta a \quad I\Delta^{-1}; \quad \Delta = h_{pm}(h_{rn} + a_{rm}) - h_{rn}h_{mr}$$

$$\frac{d\delta}{dx}\Big|_s = \frac{2}{n_{0v}}(\delta r + \delta m) \quad (9)$$

$$\frac{d\delta y}{dx}\Big|_s = \frac{2}{n_{0s}}(G^1 + Z_n\delta n_s + Z_n\delta p_s) \quad (10)$$

$$G^1 = \frac{G}{h_{pm}h_{rn}}; \quad Z_n = \frac{V_{nm} + a_{rm}}{h_{rn}} + \frac{V_{pn}}{h_{pn}}$$

$$Z_p = (V_{pp} + a_{pm})h_{pm}^1 + V_{np}h_{rn}^1 \quad (11)$$

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$$\sigma = e(\mu_p + \mu_n) \int_0^l \delta p dx + e\mu_n \frac{n_{0v}}{2} \frac{d\delta y}{dx}\Big|_s \quad (4),$$

$$\sigma = e(\mu_p + \mu_n) \delta p_s L_p (1+L) - e\mu_n (G + Z_n \delta n_s + Z_p \delta p_s) \quad (12)$$

$$L = \frac{1}{L_p} \int_0^l e^{-y} dx.$$

$$\delta_s, \delta n_s, \delta, \delta$$

[4].

$$\delta p_s = G \left[\left(1 - e^{-v_{ns}}\right) - \left(\frac{V_{pn}}{L_{pn}} + Z_n\right) \frac{dy_0}{dx}\Big|_s \right] \Delta,$$

$$\Delta = V_{pn} \left[\left(1 - e^{-v_{0s}}\right) - Z_p \frac{dy_0}{dx}\Big|_s \right] \times \left[V_{pp} + \frac{D_p y_{0s}}{L_p} (1 + L_p) \right] \quad (13)$$

$$\delta n_s = \frac{y_{0s} - G \left(\frac{dy_0}{dx} \right)_s + \left[\left(1 - e^{y_{0s}}\right) - Z_p \left(\frac{dy_0}{dx} \right)_s \right]}{Z_n \frac{dy_0}{dx}\Big|_s - \left(1 - e^{y_{0s}}\right)} \delta p_s \quad (14)$$

Si-SiO₂

$$\sigma = e\mu_n \frac{a_{nr}}{h_{nr}} \delta n_s, \quad (12)$$

$$\delta n_s = I\beta a \frac{(1 - e^{-y_{0s}}) h_{nr} (1 + \delta r) + \delta r}{e^{-2y_{0s}} a_{rm} a_{nr} + \delta r} \quad (15)$$

$$\delta r = \frac{a_{nr}}{h_{nr}} e^{y_{0s}} \left(\frac{dy_0}{dx} \right)_s \quad (16)$$

$$\delta r, \quad (\delta r \gg 1)$$

δn_s,

$$\sigma = e\mu_n \beta I a \exp(-E_r) \frac{1}{f_{nm} C_{rm} MRC_{nr}} \quad (17)$$

f_{nm} << 1.

$$\sigma = -v_{0s} + 2U_s - E_1 - E_{0s},$$

U_n -

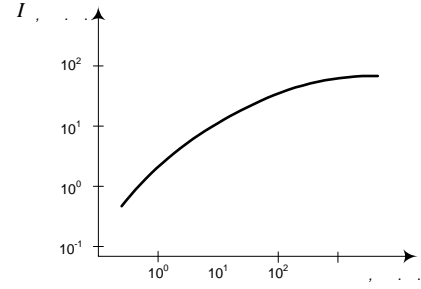
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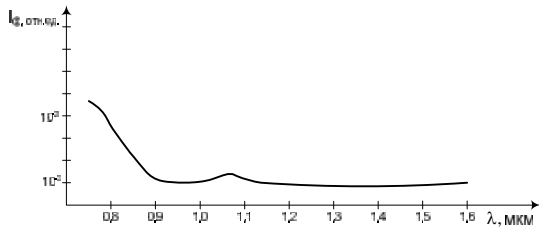
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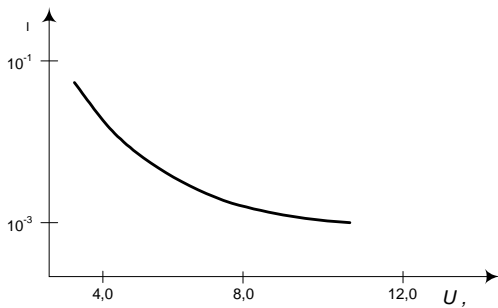


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SILICON MOS (METAL-INSULATOR-SEMICONDUCTOR) - PHOTOTRANSISTOR FOR INFRARED SPECTRUM

E.I. Zingaeva

Theoretically and it was investigated the silicon infrared sensing MIS-phototransistor may be used for optical communications.

Keywords: *photodiode, optical, communication, cadmium diphoshide.*