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( ) [2-4].

[5]

UML

[6-8]

[1, 2].

( ) ,

[1, 3, 4].

UML

[9]

( ) (

[13],

( ) STS ( . set of test cases).

:

$$F_{SidSod} : \sigma(SID) \rightarrow \sigma(SOD),$$

$\sigma(SID)$

SID ( . set of input dates) – ,  $\sigma(SOD)$

SOD ( . set of output dates).

[10],

( )

[2]

$$MCO_{su} = (SO_{su}, ST_{su}, SL_{su}, SH_{su}, SR_{su}, F_{SotSl}, F_{SoSr}),$$

$SO_{su}$  – ,  $ST_{su}$  – ,  $SL_{su}$  – ,  $SH_{su}$  – ,  $SR_{su}$  – ,

( ) [2].

$F_{SotSl}$  – (

$$F_{SotSl} : (SO_{su} \cup ST_{su}) \times SL_{su} \rightarrow \{0,1\},$$

$$F_{SotSl}(sot, sl) = 1, \quad sl \in SL_{su}$$

$$sot), \quad F_{SoSr} : SO_{su} \rightarrow SR_{su}$$

[2],

$$F_{NcoSsu}(MCO_{su}) = SSU_{su}, \quad F_{Su\sigma}(Ssu)(su) = SSU_{su},$$

$N_E^{MVO}$

1)

$$SO_{su} \quad ST_{su} \quad Z^E \quad - ;$$

[2]

$$F_{ZSot} : Z^E \rightarrow (SO_{su} \cup ST_{su}).$$

2)

$SL_{sc}$  ;

[11, 12].

[13]:

$$( ) [2]$$

( )

$B^E$  (

Model Under Test – MUT-

);

MUT-

$$B_Q^E, \quad B_Q^E \subset B^E / B_P^E, \quad B_Q^E \cap B_R^E = \emptyset.$$

$$\begin{aligned}
 & \text{so} \in \text{SO}_{\text{su}}. \\
 & \text{F}_{\text{ZSa}} : \{z[i]\} \rightarrow \text{F}_{\text{Sec}}(\text{Sa})(\text{F}_{\text{SoSc}}(\text{so})), \\
 & \text{F}_{\text{BSe}} : \text{B}_Q^E \rightarrow \text{SE}_{\text{su}}, \quad \forall \text{se} \in \text{SE}_{\text{su}} (\exists \text{sl} \in \text{SL}_{\text{su}}, \quad z[i] \quad i - \quad z, \quad \text{F}_{\text{ZSo}}(z) = \text{so}, \\
 & \text{F}_{\text{SlSe}}(\text{sl}) = \text{se}). \quad \text{i} = 1, \dots, n; \quad n - \quad z. \\
 & \text{B}_P^E = \text{B}_R^E. \quad ; \quad \forall z \in Z^E (\text{F}_{\text{ZSa}}(z[0]) = \text{sa}_{\text{sc}}^{\text{ID}}, \quad \text{sa}_{\text{sc}}^{\text{ID}} \in \text{SA}_{\text{sc}}^{\text{v}}, \\
 & \text{F}_{\text{ZSa}}(z[1]) = \text{sa}_{\text{ss}}, \quad \text{sa}_{\text{ss}} \in \text{SA}_{\text{sc}}^{\text{v}}, \quad \text{F}_{\text{SoSc}}(\text{so}) = \text{sc}).
 \end{aligned}$$

$$\begin{aligned}
 & \text{F}_{\text{BZ}}^E(b, z) = \begin{cases} 1, & \exists \text{st} \in \text{ST}_{\text{su}} \text{F}_{\text{Sec}}^{\text{ID}}(\text{Sa})(\text{se}) = \text{SA}_{\text{st}}, \text{F}_{\text{BSe}}(b) = \text{se}, \\ & \text{F}_{\text{ZSot}}(z) = \text{st} \quad \exists \text{so} \in \text{SO}_{\text{su}}, \text{F}_{\text{BSe}}(b) = \text{se}, \\ & \text{F}_{\text{Sec}}^{\text{ID}}(\text{Sa})(\text{se}) = \text{F}_{\text{Sec}}^{\text{ID}}(\text{Sa})(\text{F}_{\text{SoSc}}(\text{so})), \text{F}_{\text{ZDot}}(z) = \text{so}; \\ 0, & ; \end{cases} \\
 & \text{F}_{\text{ZB}}^E(z, b) = \begin{cases} 1, & \exists \text{sot} \in (\text{SO}_{\text{su}} \cup \text{ST}_{\text{su}}), \text{F}_{\text{SotSl}}(\text{sot}, \text{sl}) = 1, \\ & \text{F}_{\text{BSe}}(b) = \text{se}, \text{F}_{\text{SlSe}}(\text{sl}) = \text{se}, \text{F}_{\text{ZSot}}(z) = \text{so}; \\ 0, & ; \end{cases} \\
 & \text{M}_0^E(b) = \left| \bigcup_{\text{sl} \in \text{SL}_{\text{su}}} \{ \text{F}_{\text{Sec}}(\text{Sa})(\text{F}_{\text{SlSe}}(\text{sl})) \} \right|, \quad (1) \\
 & \forall b \in \text{B}_Q^E (\text{F}_{\text{BSe}}(b) = \text{se}, \text{F}_{\text{SlSe}}(\text{sl}) = \text{se}, \text{F}_{\text{SotSl}}(\text{sot}, \text{sl}) = 1), \\
 & \forall b \in \text{B}_P^E (\text{M}_0^E(b) = \emptyset).
 \end{aligned}$$

$$\begin{aligned}
 & \text{F}_{\text{bC=Sa}} : \{b^j[i]\} \rightarrow \text{F}_{\text{Sec}}(\text{Sa})(\text{F}_{\text{SlSe}}(\text{sl})), \quad b^j[i] \quad i - \\
 & \text{F}_{\text{Sec}}(\text{Sa})(\text{F}_{\text{SlSe}}(\text{sl})) \\
 & \text{sl} \in \text{SL}_{\text{su}} \quad \text{F}_{\text{BSe}}(b) = \text{se}, \quad \text{F}_{\text{SlSe}}(\text{sl}) = \text{se}; \quad \forall z \in Z^E (\exists \text{so} \in \text{SO}_{\text{sc}}, \text{F}_{\text{ZSot}}(z) = \text{so}). \\
 & \text{i} = 1, \dots, n, \quad n - \quad \text{YYXF}_{\text{En}} \\
 & \text{b}; \quad \text{j} = 1, \dots, m, \quad m - \quad \text{Y}_{\text{En1}} \quad \text{Y}_{\text{En}}, \\
 & \text{b} \quad \text{Y}_{\text{En1}} \\
 & \forall b^j \in \text{B}_Q^E \quad b^j[0] \quad \text{Y}_{\text{En1}} \\
 & \text{b}^j[1] - \quad \text{Y}_{\text{En2}},
 \end{aligned}$$

$$\begin{aligned}
 & - X_{En3} \quad X_{En}, \quad F_{BZ}^E(z)^{in} - \quad Y_{En2} \cdot \\
 & ; \quad , \quad X_{En3} \quad , \quad - \\
 & - F_{En4} \quad F_{En}, \quad - \quad Y_{En1} \cdot \\
 & \quad , \quad F_{En} \quad ; \quad X_{En3} : \\
 & \quad , \quad , \quad F_{ZB}^E(z)^{out} , \\
 & \quad , \quad M^E(b_r) \\
 & YYXF_{En} - \quad N_E^{MVO} : \\
 & \quad b \in F_{BZ}^E \quad F_{Sh\sigma(Sha)} : SH_{sc} \rightarrow \sigma(SHA_{sc}), \\
 & \quad z \quad YYXF_{En} \quad \sigma(SHA_{sc}) \\
 & \quad , \quad so \in SO_{sc} (F_{ZSot}(z) = so) \quad SHA_{sc}; \\
 & \quad sl \in SL_{sc} (F_{BSe}(b) = se, F_{SlSe}(sl) = se) \quad F_{SsSh} : SS_{sc} \rightarrow SH_{sc}; \\
 & \quad \quad \quad \quad \quad \quad F_{SesbSs}(se, ss_i, sbc) = ss_j. \\
 & \quad , \quad , \quad b^j[0] \\
 & - \quad M^E(b_r), \quad b_r \in B_R^E; \quad F_{En3} \cdot \\
 & - \quad F_{BZ}^E(z)^{out} \quad F_{BZ}^E(z)^{in} \quad M^E(F_{ZB}^E(z)^{out}) \quad (2) \\
 & \quad M_0^E(b_r) = \emptyset, \\
 & \quad pr(z) \quad b_r \\
 & : \\
 & rp : [\Pi_1 \rightarrow M^E(b_r) := F_{SsN}(ss_0); \Pi_2 \rightarrow M^E(b_r) \\
 & := F_{SsN}(ss_1); \dots; \Pi_{m+1} \rightarrow M^E(b_r) := F_{SsN}(ss_m)], \quad z \quad t(z) \\
 & F_{SsN} \quad \zeta(z) \\
 & SS_{sc} \quad (F_{SoSc}(so) = sc, \quad so \in SO_{sc}) \quad \zeta(z) \\
 & \quad , \quad \Pi_1, \dots, \Pi_{m+1} - \\
 & \quad : \\
 & \Pi_1 \quad , \quad M^E(b_r) := F_{SsN}(ss_0) \\
 & \quad ; \quad / \\
 & - \quad \Pi_2 \quad \dots \\
 & \quad M^E(b_r) \\
 & \quad [14] \quad \zeta : \left[ \left[ \Pi_1 \rightarrow \left\{ \phi_{li}^b \right\} \right] \right], \\
 & \quad F_{BZ}^E(z)^{in}, \quad \phi_{li}^b - \\
 & \quad , \quad b; \Pi_1 \quad , \\
 & \quad , \quad ss_i \\
 & (M^E(b_r) := F_{SsN}(ss_i)). \quad \Pi_1 : \\
 & - \quad M^E(F_{BZ}^E(z)^{in}) \quad (2): \\
 & \quad - \quad sh(F_{SsSh}(ss_1) = sh),
 \end{aligned}$$

$$F_{SsSha} \cdot \quad (1)$$

$$M^E(b^j[i]) := \phi_{li}^b(M^E(b^j[i])),$$

$$F_{bSa}(b^j[i]) = sa, \quad sa \in F_{S\sigma\sigma}(sa)(se), \quad F_{bSe}(b^j) = se.$$

$$z[s] := \phi_{is}^z(z[s]), \quad \phi_{is}^z$$

$$FzSa(z[s]) = sa, \quad sa \in F_{SsC\sigma}(sa)(sc), \quad FzSo(z) = so, \quad F_{SoSc}(so) = sc.$$

$$\zeta(z)(\forall z \in Z^E)$$

$$\zeta : \left[ \left[ \Pi_1 \rightarrow \left( \left\{ \phi_{li}^b \right\}^{in} \cup \left\{ \phi_{is}^z \right\} \cup \left\{ \phi_{lj}^b \right\}^{out} \right) \right] \right], \quad (3)$$

$$F_{\zeta Sh} : \{ \zeta(z) \} \rightarrow SH_{su}, \quad sh \in SH_{su}$$

$$z[l]$$

$$se \in SE_{su}, \quad se = F_{SISe}(sl), \quad sl \in SL_{su}$$

$$t(z),$$

$$z[l]$$

$$sc \in SC_{su}, \quad sc \in F_{SoSc}(so), \quad so \in SO_{su}$$

$$F_{SotSl} : (SO_{su} \cup ST_{su}) \times SL_{su} \rightarrow \{0,1\}$$

$$F_{SoSr} : SO_{su} \rightarrow SR_{su}$$

$$F_{ZB}^E(z)^{out}$$

$so \in SO_{su},$ $st \in ST_{su}$	$z \in Z^E$
$se \in SE_{su}$	$b \in B_Q^E$
$sl \in SL_{sc}$	$b$
$se \in SE_{su}$ $, se = F_{SISe}(sl), sl \in SL_{su}$	$\{b^j[i]\}$ $b \in B_Q^E$
$sc \in SC_{su}, sc \in F_{SoSc}(so),$ $so \in SO_{su}$	$\{z[i]\}$ $z \in Z^E$
$F_{SotSl} : (SO_{su} \cup ST_{su}) \times$ $SL_{su} \rightarrow \{0,1\}$	$F_{ZB}^E$
$F_{SoSr} : SO_{su} \rightarrow SR_{su}$	$F_{BZ}^E \quad F_{ZB}^E$
$sh \in SH_{su}$	$\zeta : \left[ \left[ \Pi_1 \rightarrow \left( \left\{ \phi_{li}^b \right\}^{in} \cup \right. \right. \right.$ $\left. \left. \left. \cup \left\{ \phi_{is}^z \right\} \cup \left\{ \phi_{lj}^b \right\}^{out} \right) \right] \right]$

$N_E^{MVO}$

(1).

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[2].

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-	-	$z[0]..z[m]$	-	-	-
$b_l^1$	$b_{l[0]}^1, \dots, b_{l[p]}^1$	$z[0]..z[m]$	t1	$b_{j+1}^s$	$b_{j+1[0]}^s, \dots, b_{j+1[q]}^s$
-	-	-	t2	$b_{j+h}^\varphi$	$b_{j+h[0]}^\varphi, \dots, b_{j+h[v]}^\varphi$
$b_i^k$	$b_{i[0]}^k, \dots, b_{i[u]}^k$	$z[0]..z[m]$	t3	-	-
...					
$b_{i+g}^k$	$b_{i+g[0]}^k, \dots, b_{i+g[r]}^k$	$z[0]..z[m]$	tn	$b_{j+1}^s$	$b_{j+1[0]}^s, \dots, b_{j+1[q]}^s$

1) ; 7)

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$\sigma(SOD)$ .

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#### METHOD OF TEST STRUCTURE SYNTHESIS FOR OBJECTS INTERACTION DURING DESIGN SOFTWARE BASED ON OBJECT-ORIENTED TECHNOLOGY

O.P. Dorensky

*This article presents the development of procedures for formal representation of software objects model of cooperation in terms of the formal apparatus of e-networks, algorithm of conversion of E-network test MUT models of software objects interaction and procedure for the registration of test model operation. They are designed on the basis of object-oriented methodology, simulation and theory of Petri nets. According to a research proposed the method of synthesis of test structures the interaction of software objects for object-oriented software. The method is a framework for automating the process of testing the interaction of software objects to identify systemic and algorithmic errors, and obtain quality indicators that characterize the accuracy, reliability, completeness functional complex software systems are designed.*

**Keywords:** software, object-oriented technology, software object, model, E-network, test structure.